We have seen that the graph of a vector field can give us important information about the properties of the vector field.

However, the info that graphs give us is not as we'd like.

If you think of the v.f. as the velocity field for a fluid in motion, you might want to find the actual paths followed by particles in the fluid.

Unfortunately, there are only a comparatively small # of cases where we can determine the paths given the velocity field.

In the present, we introduce two simple but useful operators that can be applied to vector fields.

Both the curl and divergence are generalizations of the notion of derivative that are applied to vector fields.

Both directly measure important physical quantities related to a vector field  $\vec{F}(x, y, z)$ .